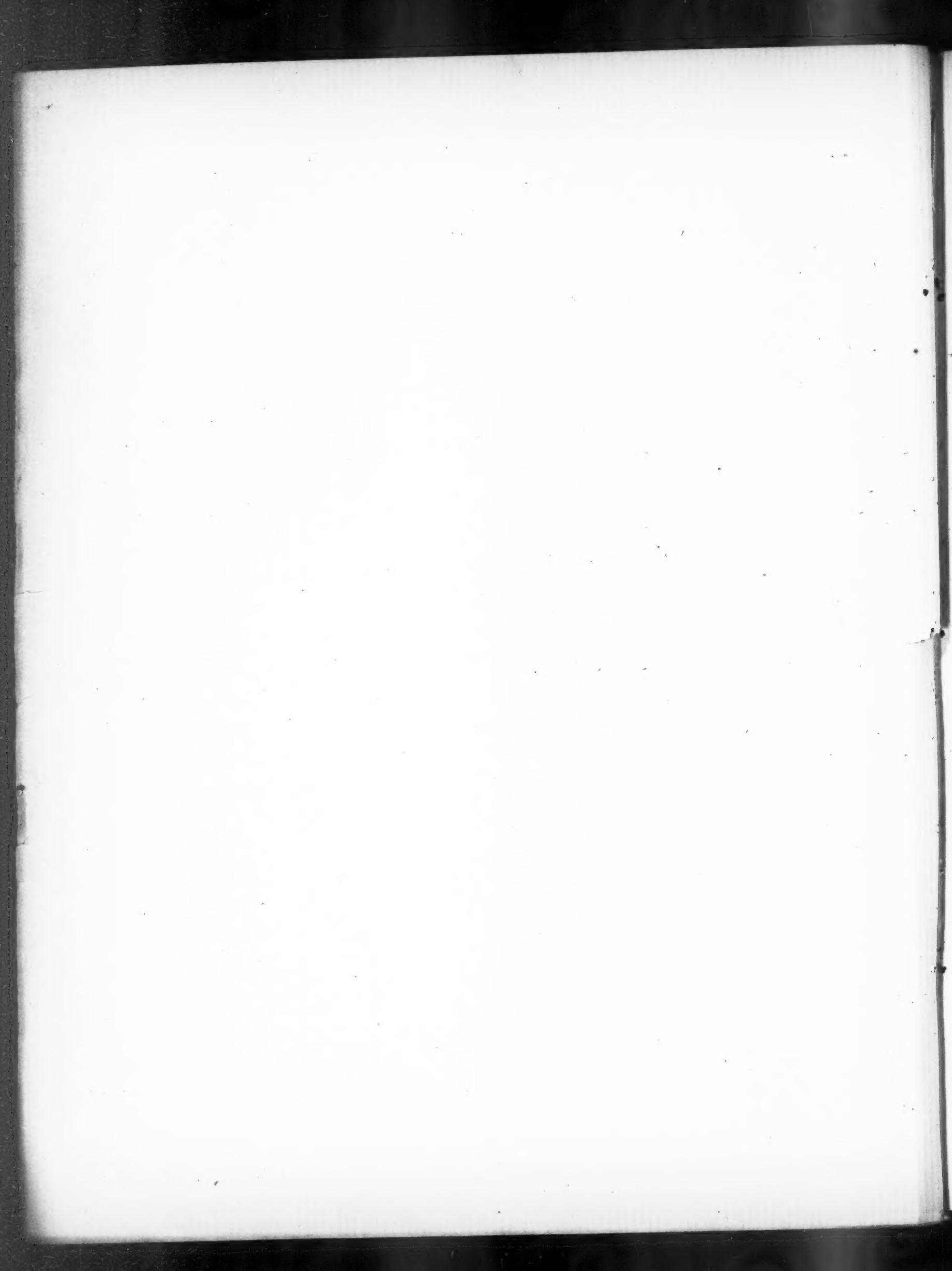


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ERRATA.

VOL. II.

Page 394, lines 13 and 14, transpose potential and projection.

VOL. III.

Page 3, line 27, for $\sum_{k=0}^{\infty}$ read $\sum_{k=0}^{k=n}$.
" 4, " 11, " " " "
" 10, " 29, " Fig. 6 read Fig. 4.
" 11, " 8, " 15 read 5.
" 12, dele line 20.
" 12, line 21, insert (vi) (x) before and.
" 12, " 22, dele (xii).
" 14, dele lines 3-5.
" 95, line 7, before χ and χ' insert 4π .
" 97, last line, " " " "
" 158, line 24, for $m+n-z$ read $m+n-2$.
" 158, " 28, " xy " $-xy$.
" 159, " 3, " $\dot{=} -2$ " $= +2$.
" 160, " 6, " $J = C_{3,3}$ " $J = 9 C_{3,3}$.
" 160, " 8, " Δn^2 " $-\Delta u^2$
" 160, " 13, " $J = 6hw$ " $8w = C_{6,3}$.
" 160, lines 6, 8, 19, 20, for h " 4.
" 160, " 23, 25, " h " L .
" 160, " 23, 26, " b " G .
" 160, line 27, read $= -4 \{ C_{2,2}^2 (4EG - F^2) - C_{2,2} C_{6,2} (2LG + 2NE - MF) + C_{6,2}^2 (4LN - M^2) \}$.
" 161, " 7, for $C_{3,3}$ read $C_{6,2}$.
" 162, " 11, " $\sqrt{\frac{2}{3}}$ " 0, ± 1 .
" 162, " 19, " $\frac{1}{n}$ " $\frac{l}{n}$.
" 162, " 19, " l_{2m} " $l = m$.
" 185, " 1 of footnote, for $x^i \cdot y^i \cdot z^i xy \cdot z_i$ read $xy \cdot z_i$.
" 224, " 6, for e read e .
" 224, " 12, " $\log^{-n}, i =$ read $\log^{-n} i, =$.

Page 230, line 10, insert — before the second member.

- “ 230, lines 12, 13, 14, for X_0 read χ_0 .
- “ 231, “ 6, 12, change sign of the integral.
- “ 232, “ 4, 8, “ “ “ “
- “ 232, “ 20, 21, 22, for — read +.
- “ 233, “ 7, 8, 9, dele terms containing ξ_{n+1} .
- “ 233, “ 12, change sign of the integral.
- “ 234, “ 1, 3, “ “ “ “
- “ 234, line 11, change sign of second and third members.
- “ 234, lines 13, 14, 15, for first sign + read —.
- “ 235, line 20, change sign of second member.
- “ 236, “ 12, insert factor $(2s - 1)$ before the integral.
- “ 253, lines 25, 27, change sign of second member.
- “ 253, line 29, insert — before second member of each equation.
- “ 255, “ 1, dele surely and no.
- “ 260, “ 8, for S read ρ .
- “ 265, “ 31, “ M “ M_1 .
- “ 267, “ 2, insert $\frac{1}{r}$ under the integral sign.
- “ 267, “ 9, dele In this case.
- “ 267, “ 18, for L_0, M_0, N_0 read R_0, S_0, T_0 respectively.
- “ 267, lines 21, 23, 26, interpret $\left(\frac{dM_0}{dv}\right)^2$ in a quaternion sense, or replace it by $\left(\frac{dF_0}{da}\right)^2 + \left(\frac{dG_0}{d\beta}\right)^2 + \left(\frac{dH_0}{dy}\right)^2$, where α, β, γ , are lines in the direction of greatest increase of F_0, G_0, H_0 , respectively, or by $\frac{1}{2}\Delta^2(M_0^2) + F_0F_2 + G_0G_2 + H_0H_2$.
- “ 267, lines 21, 23, 26, for the coefficient 2 read 4.
- “ 345, line 17, for $\phi(x + h)$ read $\phi(x + mh)$.
- “ 346, the second set of equations (a) (b) (c) (d) should be designated (a)' (b)' (c)' (d)'.
- “ 348, line 2 of equation (16), for $\left(\frac{d\theta_1}{dh}\right)^3$ read $\left(\frac{d\theta_1}{dh}\right)_{h=0}^3$.
- “ 351, “ 14, for $\left(\frac{d^2\theta_1}{dh^2}\right)_{h=0}$ read $\left(\frac{d^2\theta}{dh^2}\right)_{h=0}$.
- “ 354, “ 18, insert + between $\frac{d\theta_1}{dh}$ and $\frac{2d\theta_2}{dh}$.
- “ 354, “ 20, for $\frac{1}{16}$ read $\frac{1}{64}$.

